

Holdover Requirement: High Stability OCXO Challenges



Presenter: Cyril Datin (R&D Engineer – Technical Leader)



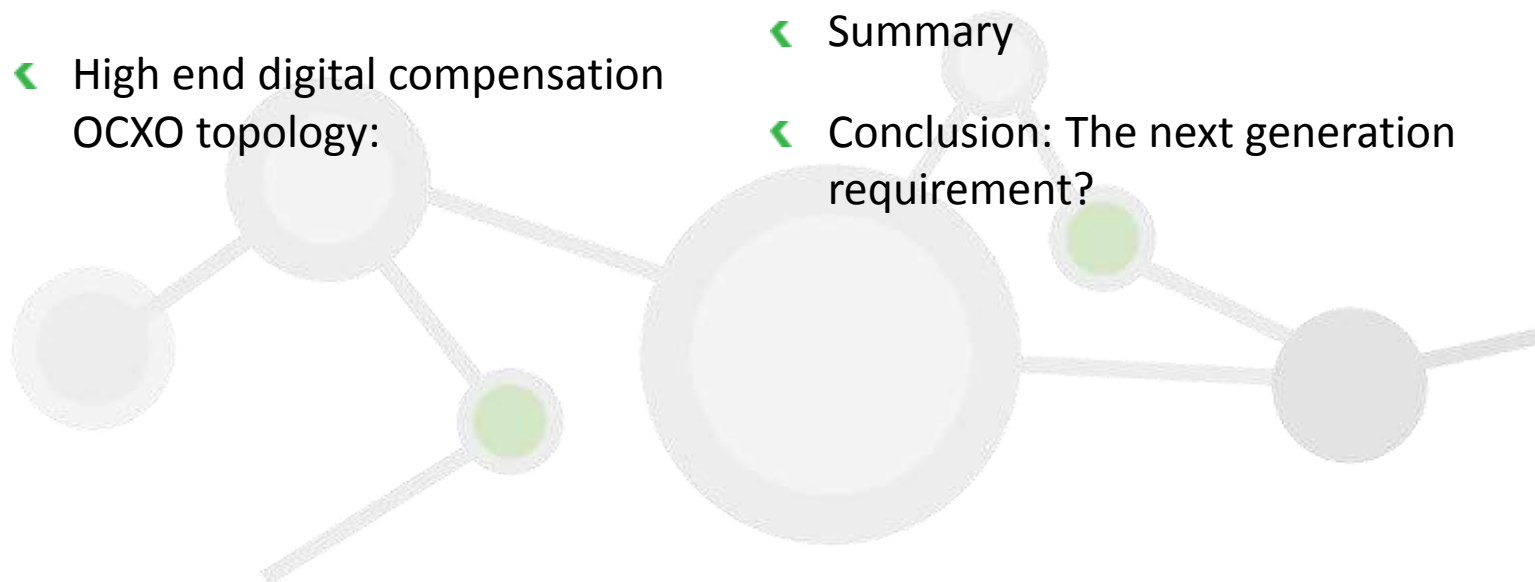
OCXO Solutions for Holdover Requirements



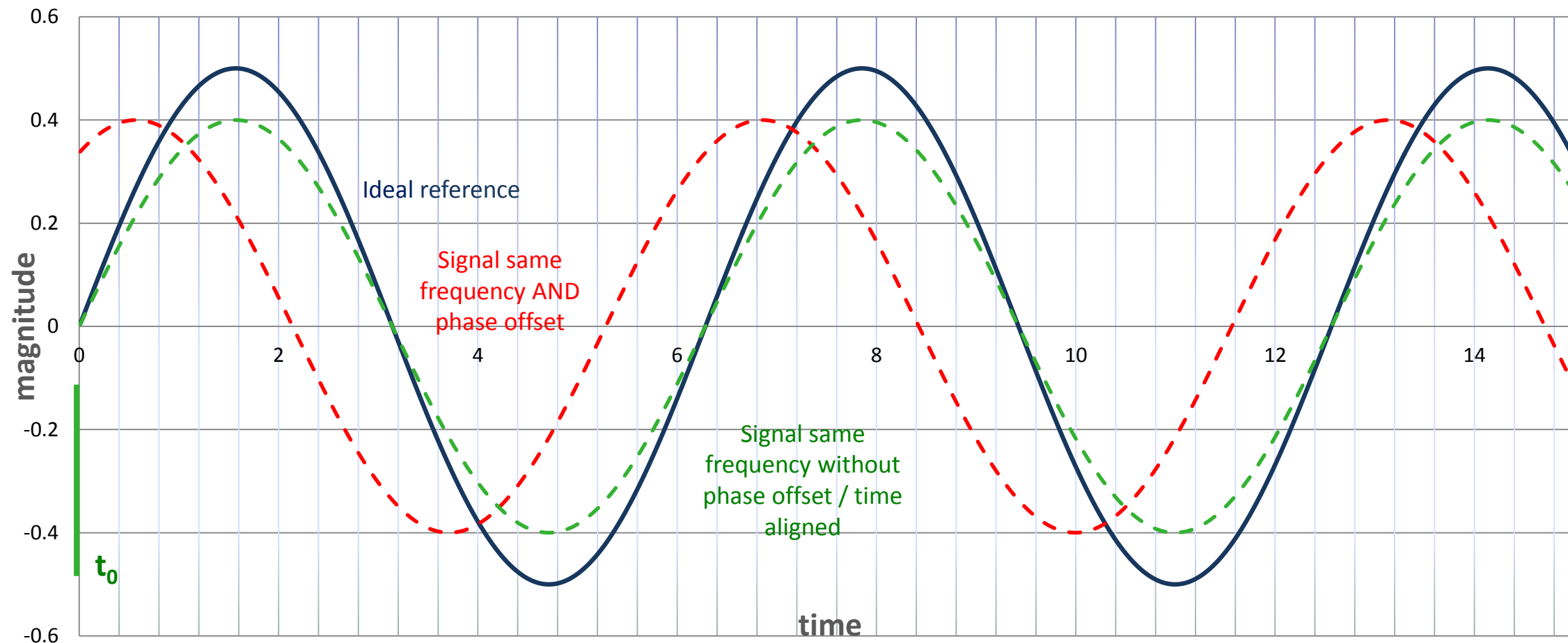
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- ◀ What is time and phase alignment?
- ◀ What is Accuracy or stability?
- ◀ Holdover mathematical definition
- ◀ Holdover graphical approach
- ◀ How to measure holdover?
- ◀ Phase Noise (PN) over time (long term)
- ◀ Short/mid/long term stability – mathematical tool
- ◀ Typical clock stability $\sigma_y(\tau)$
- ◀ ADEV interpretation medium / high stability comparison
- ◀ OCXO fundamentals
- ◀ OCXO fundamentals
- ◀ Telecom system requirement:
- ◀ High end digital compensation OCXO topology:
- ◀ Frequency instability contributor ADEV translation
- ◀ Thermal compensation limitation
- ◀ Ageing prediction limitation:
- ◀ Ageing prediction limitation:
- ◀ Summary
- ◀ Conclusion: The next generation requirement?

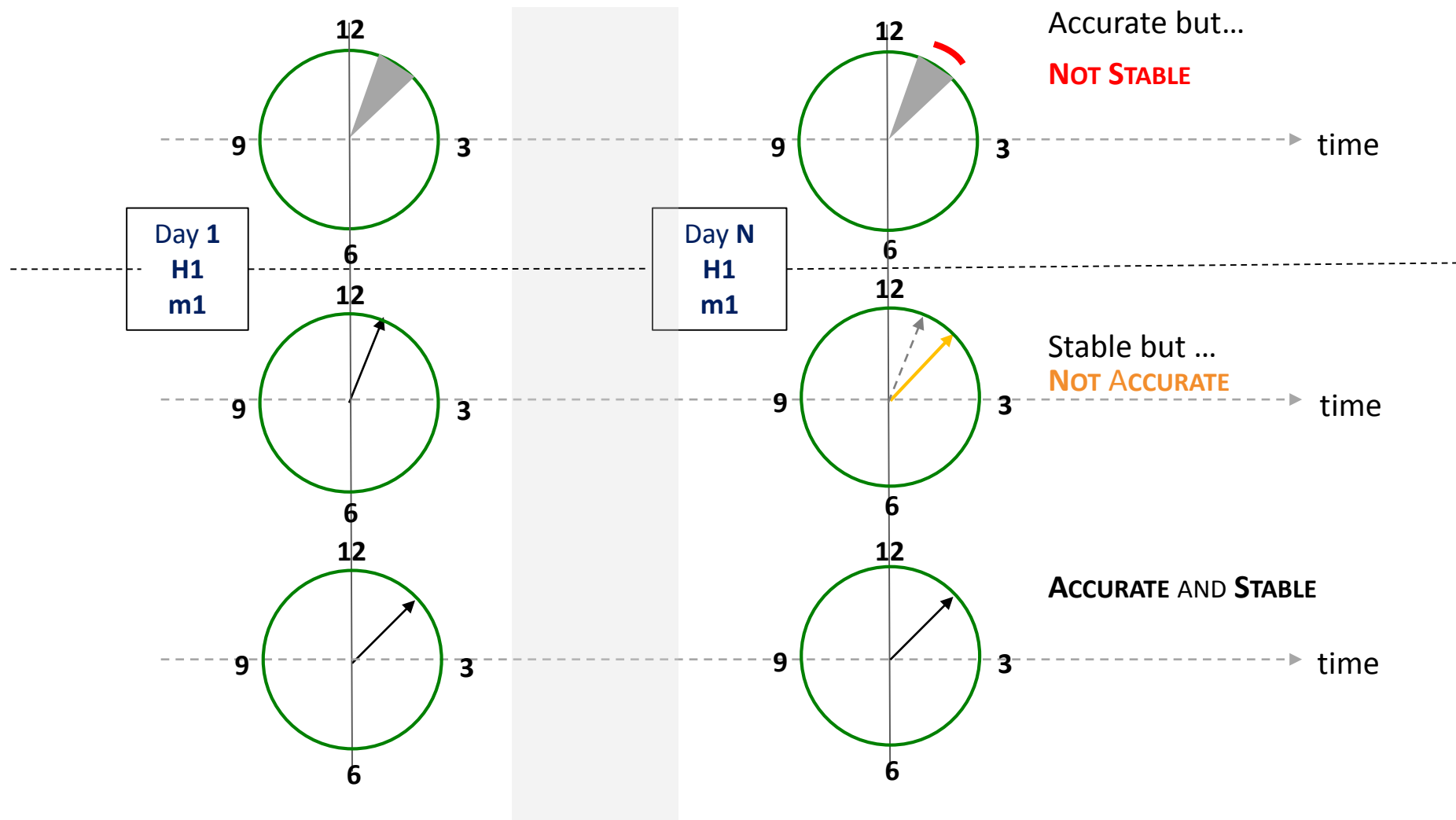


What is Time and Phase Alignment?



- ◀ **Frequency holdover:** Ability to maintain a **frequency alignment** over a time period (Stratum 2, 3 3E requirement)
- ◀ **Time holdover:** Ability to maintain a **phase accuracy** over time (Time division requirement)

Accuracy or Stability ?



Ideal harmonic signal is represented

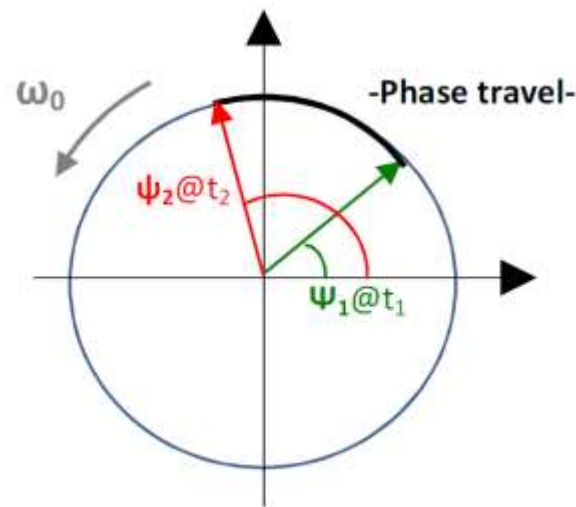
$$v(t) = V_0[1 + \alpha(t)] \cos[2\pi f_0 t + \varphi(t)]$$

Phase time

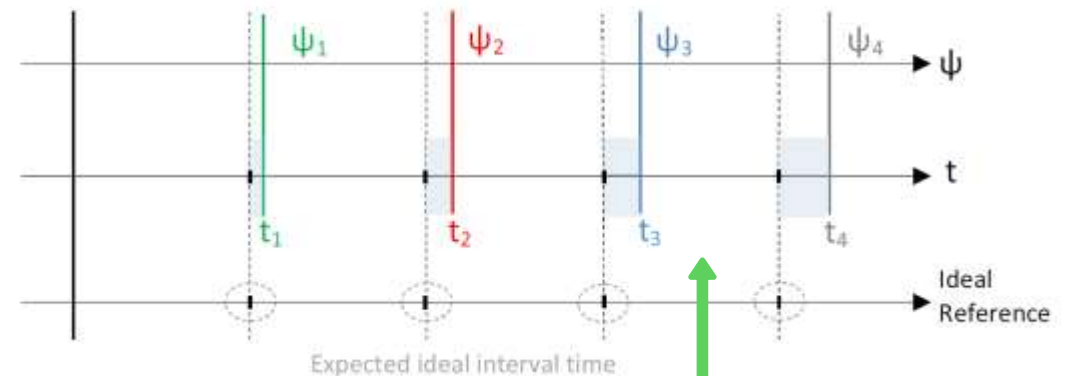
$$x(t) = \frac{\varphi(t)}{2\pi f_0}$$

Fractional frequency fluctuation

$$y(t) = \frac{f(t) - f_0}{f_0}$$



$$\Delta\psi = \psi_2 - \psi_1 = 2\pi f_0(t_2 - t_1)$$

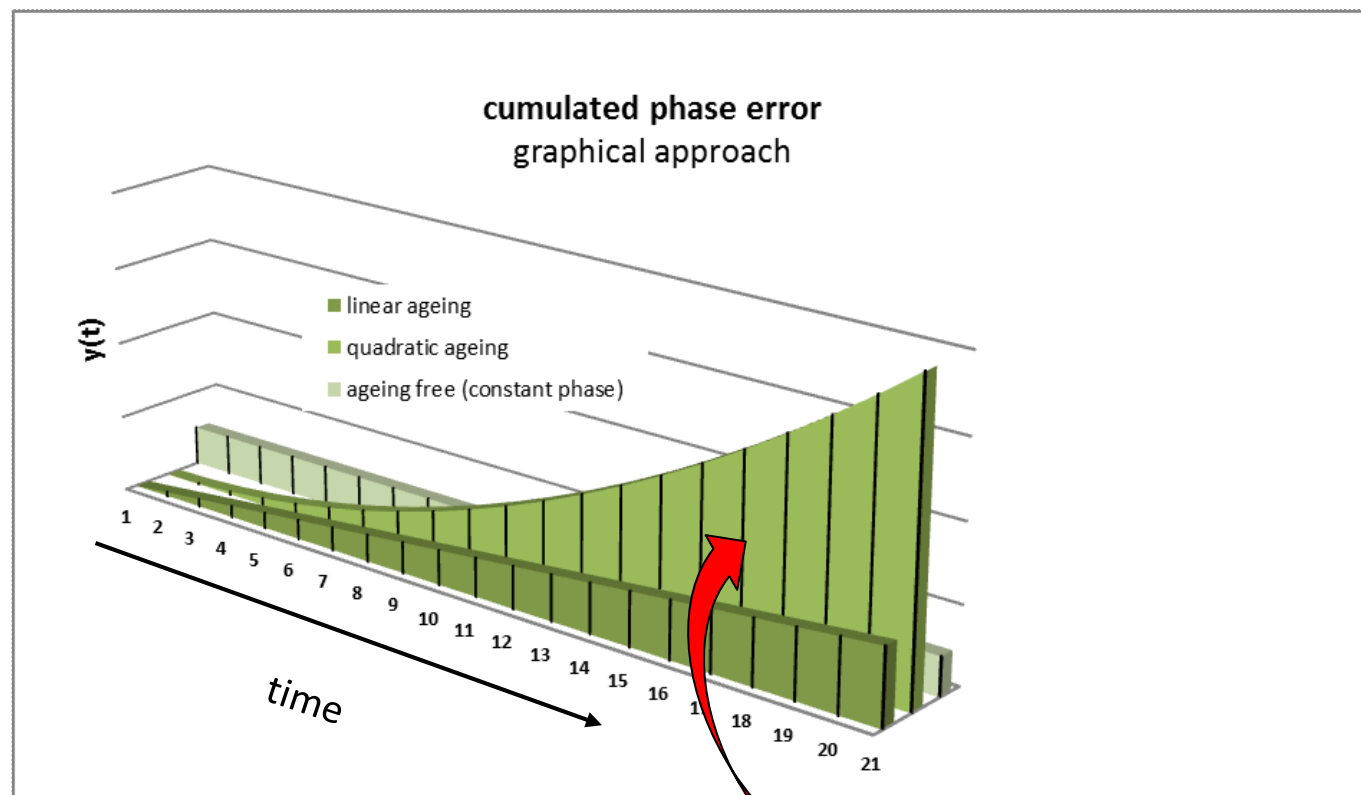


The frequency drift is cumulating *phase error* $\mathbf{x(t)}$

This is also called **time Holdover**

- Phase error is cumulating gradually over time following frequency evolution

- Linear**
if frequency constant (ageing free)
- Quadratic**
if frequency linear (constant ageing)
- Cubic**
if frequency quadratic (linear ageing)



Holdover (phase time)
Is the **area underneath**
the curves

How to Measure Holdover?

As an oscillator manufacturer we deal predominantly in the frequency domain, and convert to the time domain...



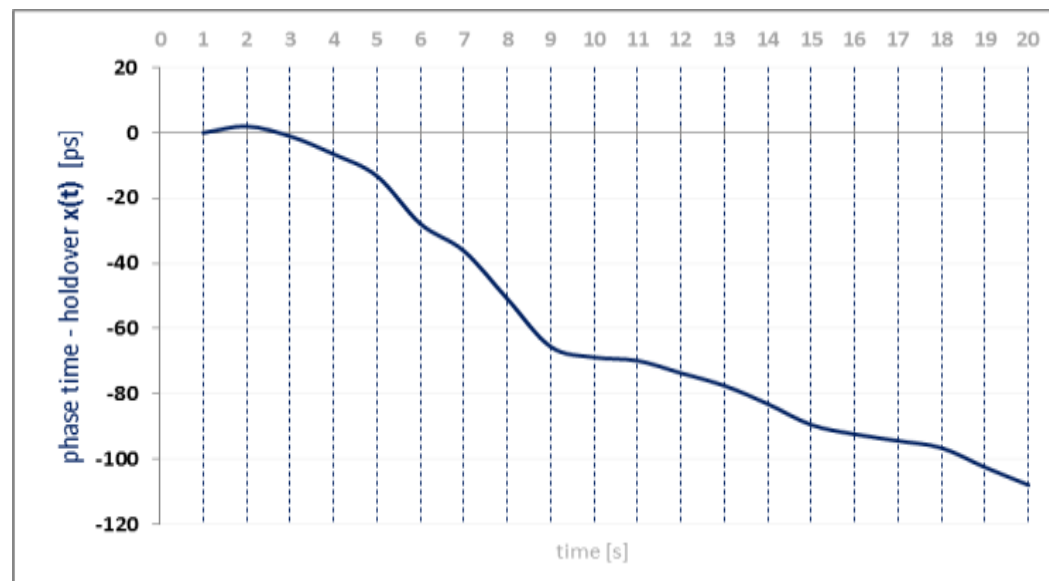
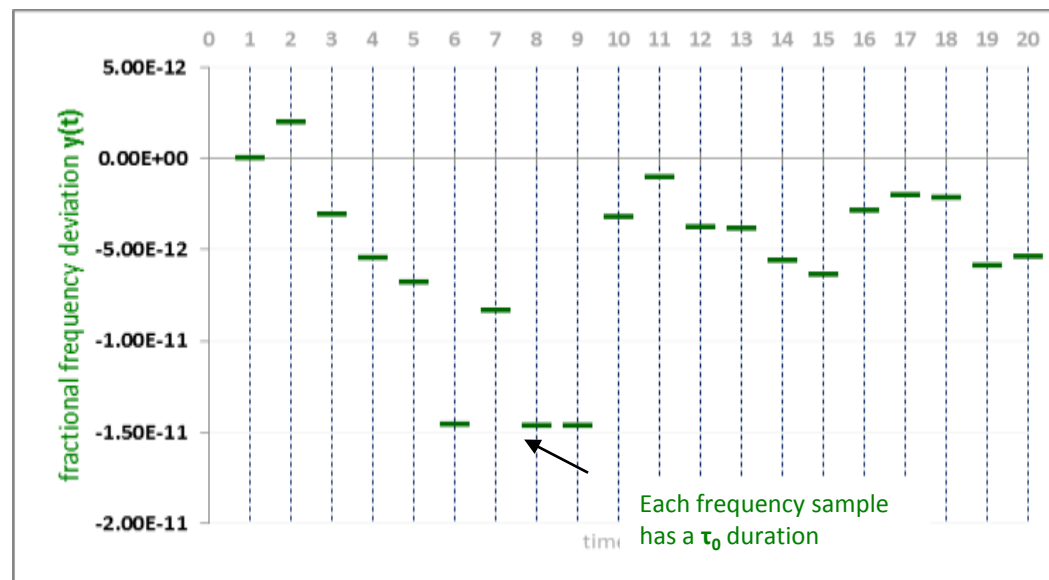
Oscillator
Frequency f_0

τ_0 counter
integration time

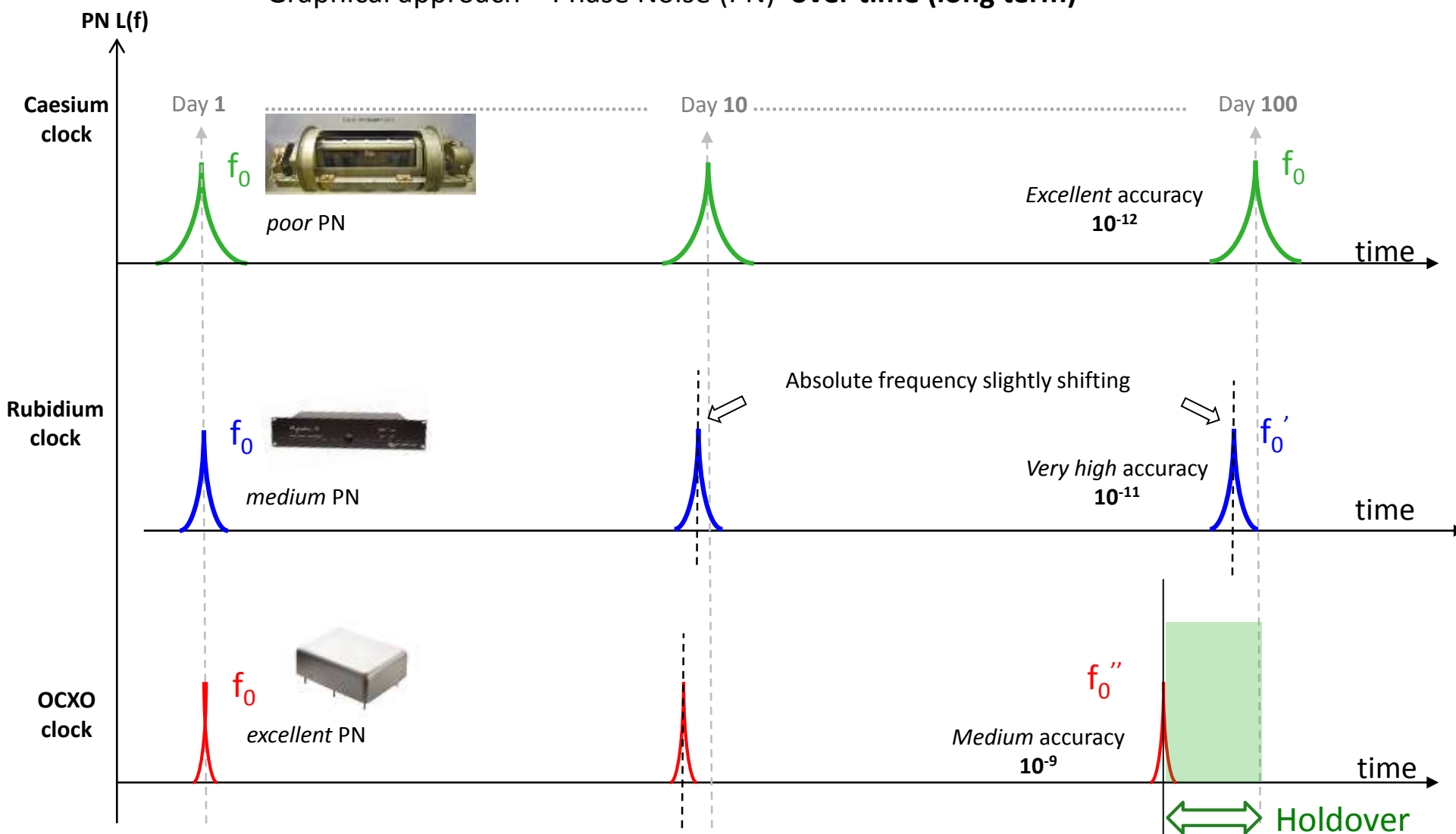


$$x(t) = \int_0^{T_{obs}} \frac{f - f_0}{f_0} dt = \int_0^{T_{obs}} y(t) dt$$

$y(t)$ fractional frequency deviation
 $x(t)$ phase time... => **time Holdover**



Graphical approach – Phase Noise (PN) over time (long term)



◀ Short/mid/long term stability – mathematical tool

Allan Deviation **ADEV**

τ : counter integration time (frequency sampling)

$$\sigma_y^2(\tau) = \frac{1}{2(M-1)} \sum_{i=1}^{M-1} [y_{i+1} - y_i]^2$$

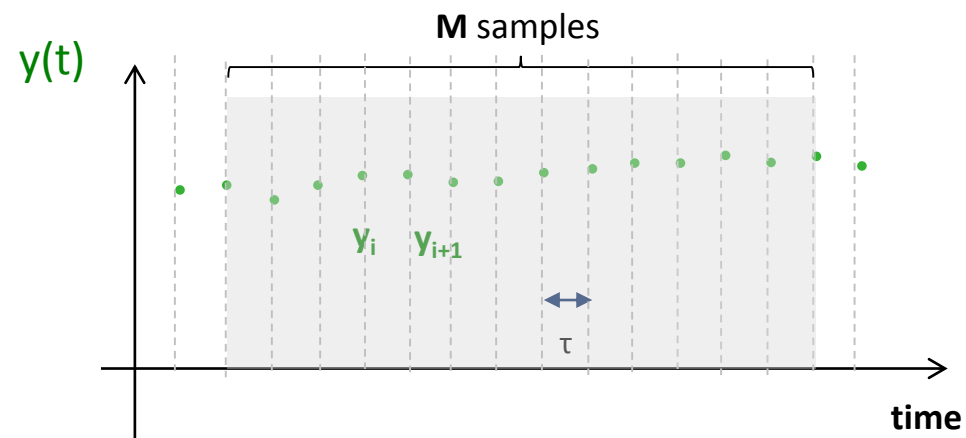
Most common time domain metric of frequency stability

ADEV remains **convergent** for most noise types

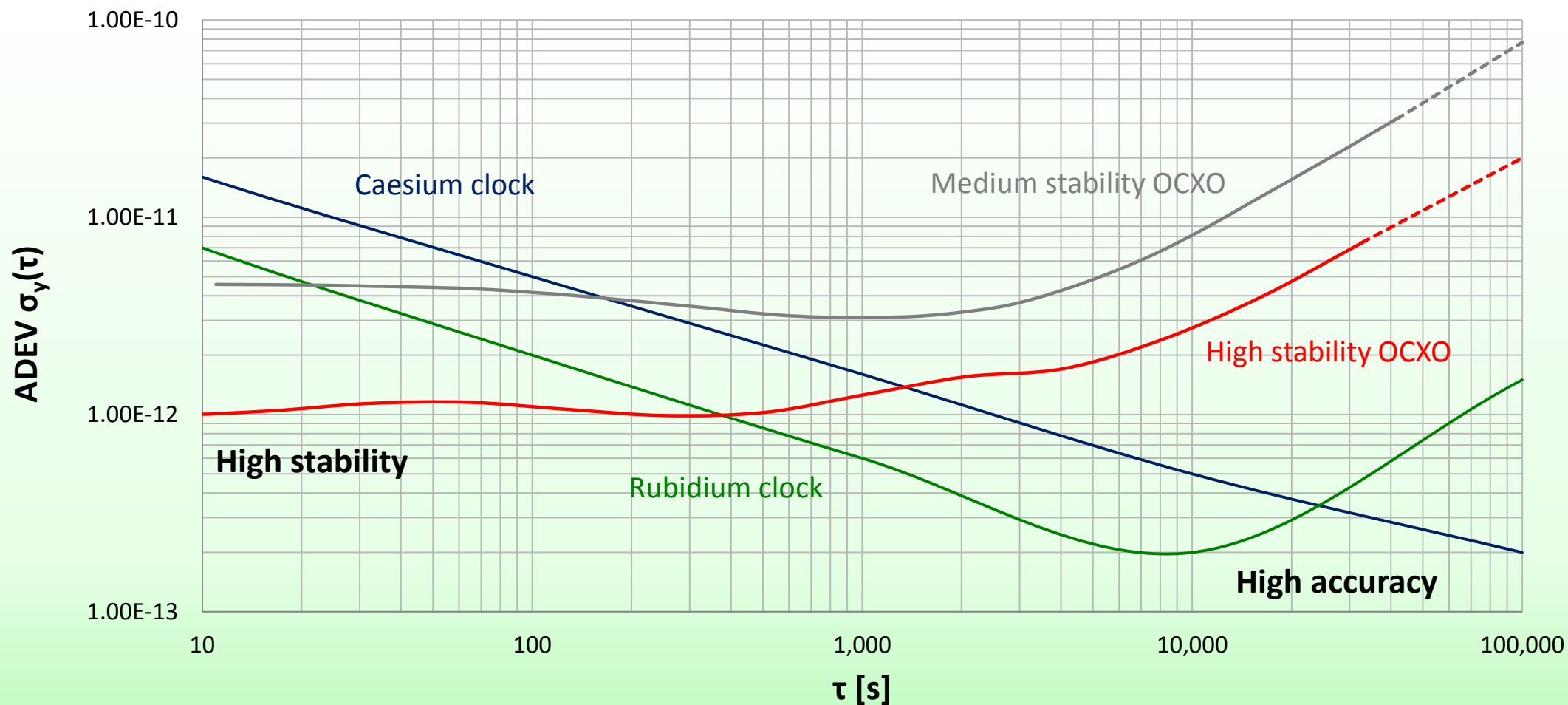
Another common metric is the modified Allan deviation **mod $\sigma_y(\tau)$** which may be converted easily to **TDEV**

$$\sigma_y^2(\tau) = \frac{1}{2m^2(M-2m+1)} \sum_{j=1}^{M-2m+1} \sum_{i=j}^{j+m-1} (y_{i+m} - y_i)^2$$

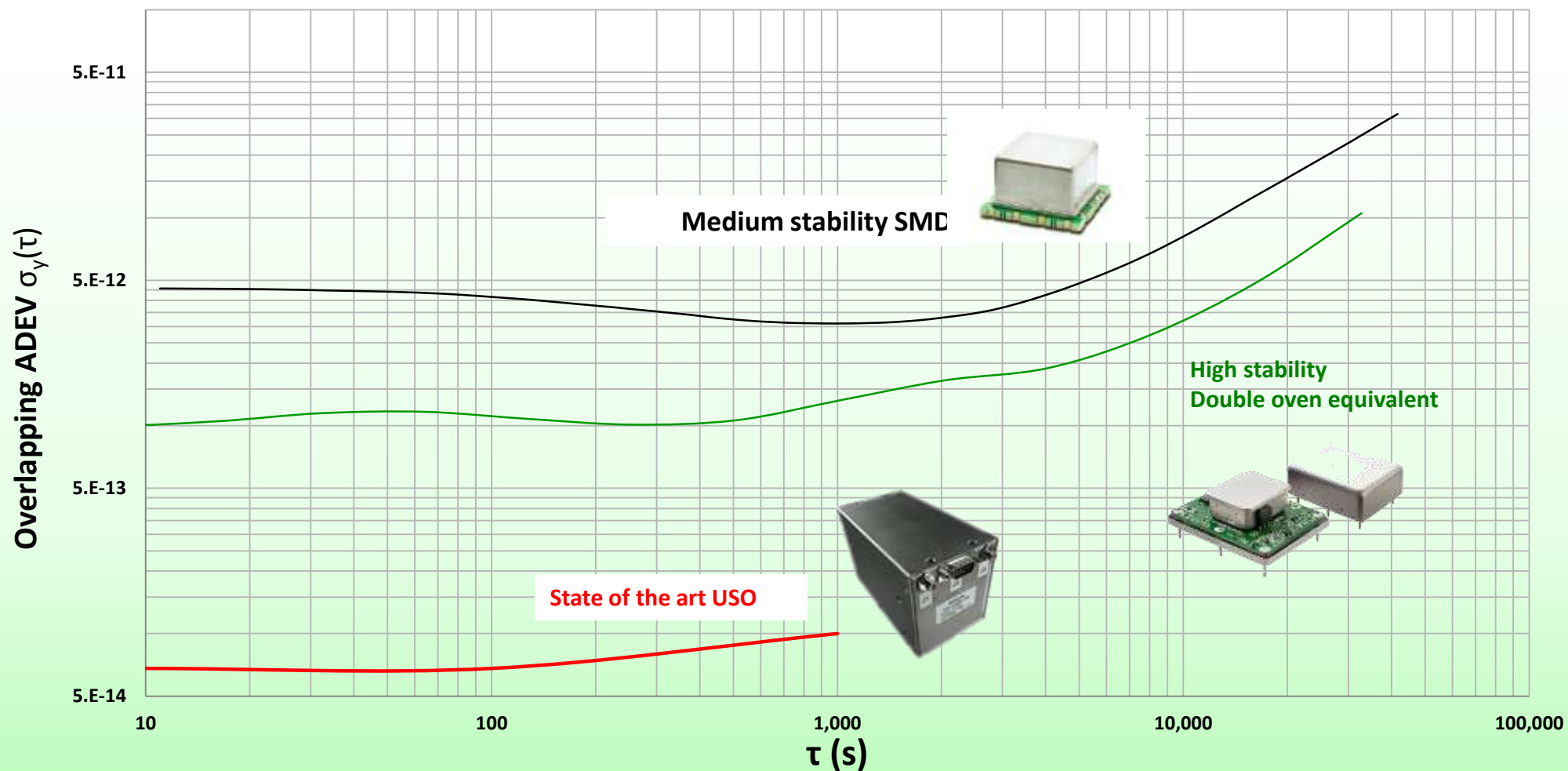
$$TDEV = \sqrt{\left(\frac{\tau^2}{3}\right)_{mod} \sigma_y^2(\tau)}$$



Typical Clock Performance – Overlapping ADEV



10MHz OCXO ADEV Interpretation Medium / High Stability Comparison



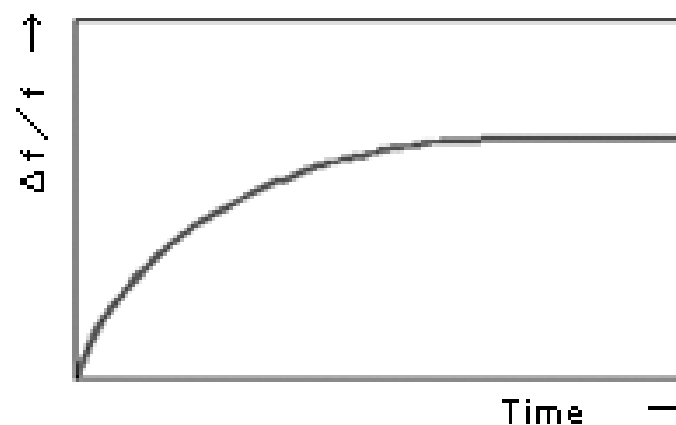
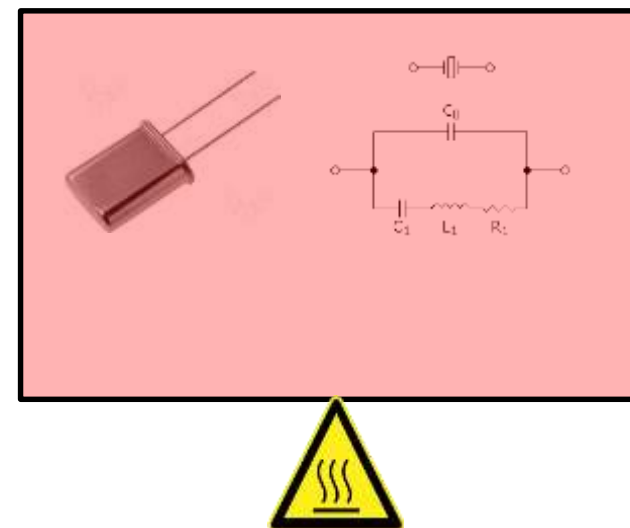
Highest Q resonator oscillator (>1000 000)

Environmental **insulation** construction

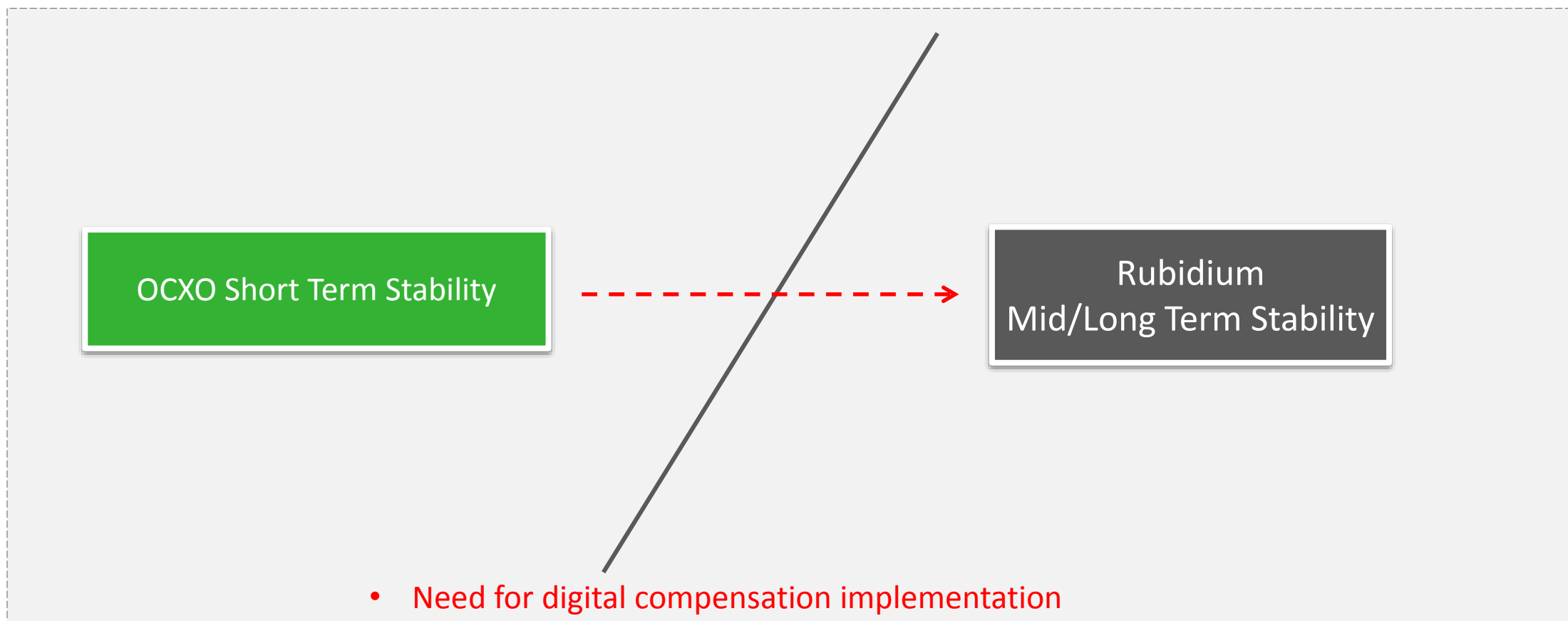
Low transient response (**heating element thermal inertia**)

But...

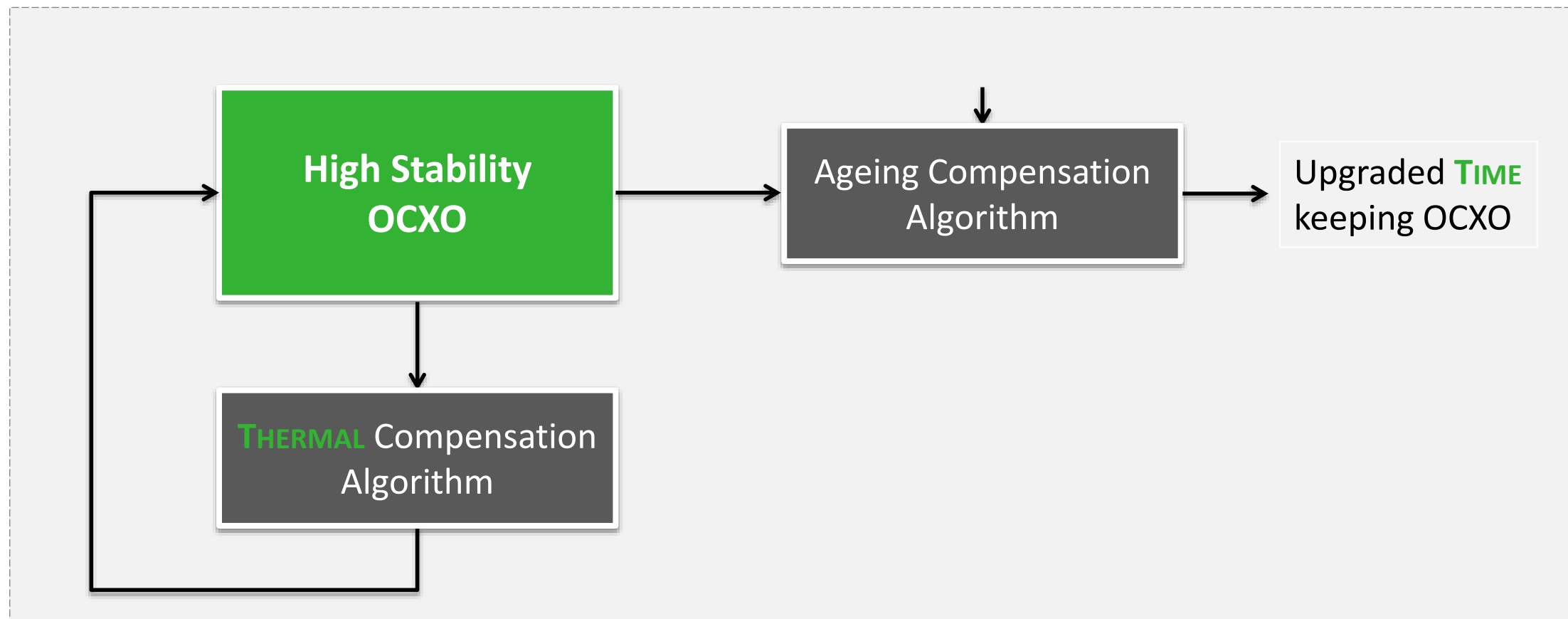
Long term stability limited due to inherent ageing effect...

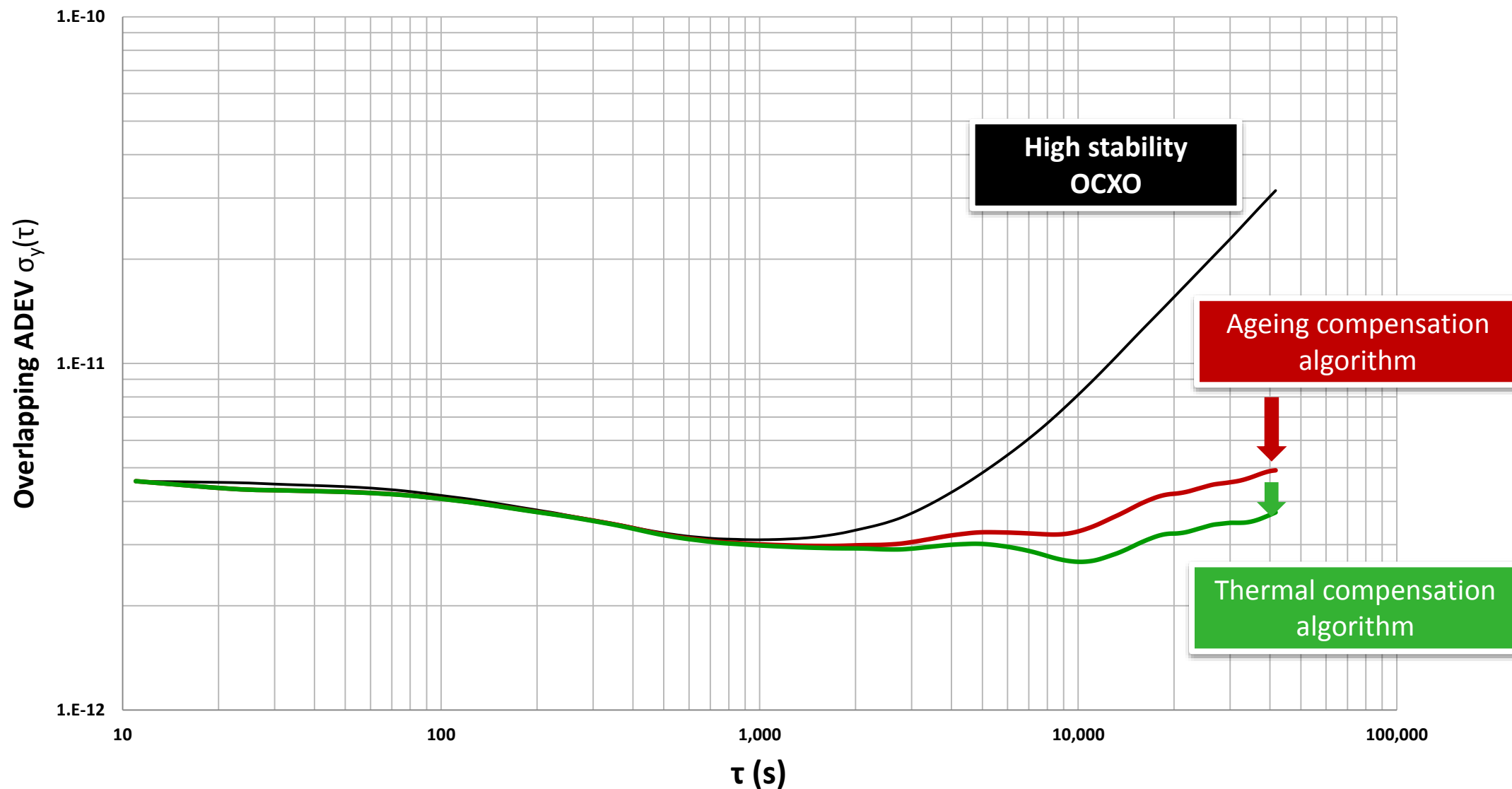


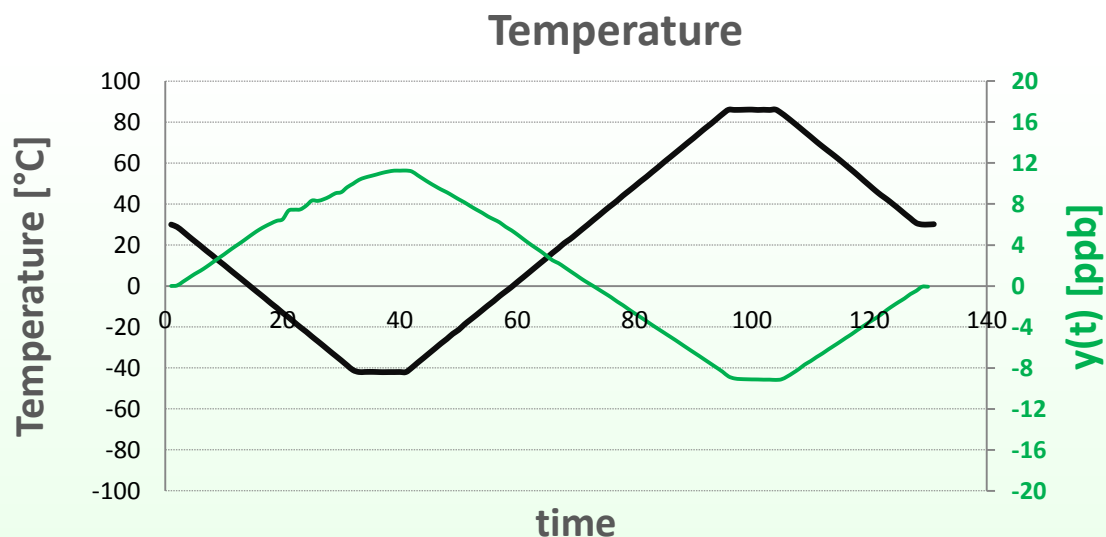
- ◀ Good short term stability
- ◀ Excellent time keeping ability



- ◀ Keep very short term stability performance
- ◀ Overcome unwanted **THERMAL** and **TIME** effect

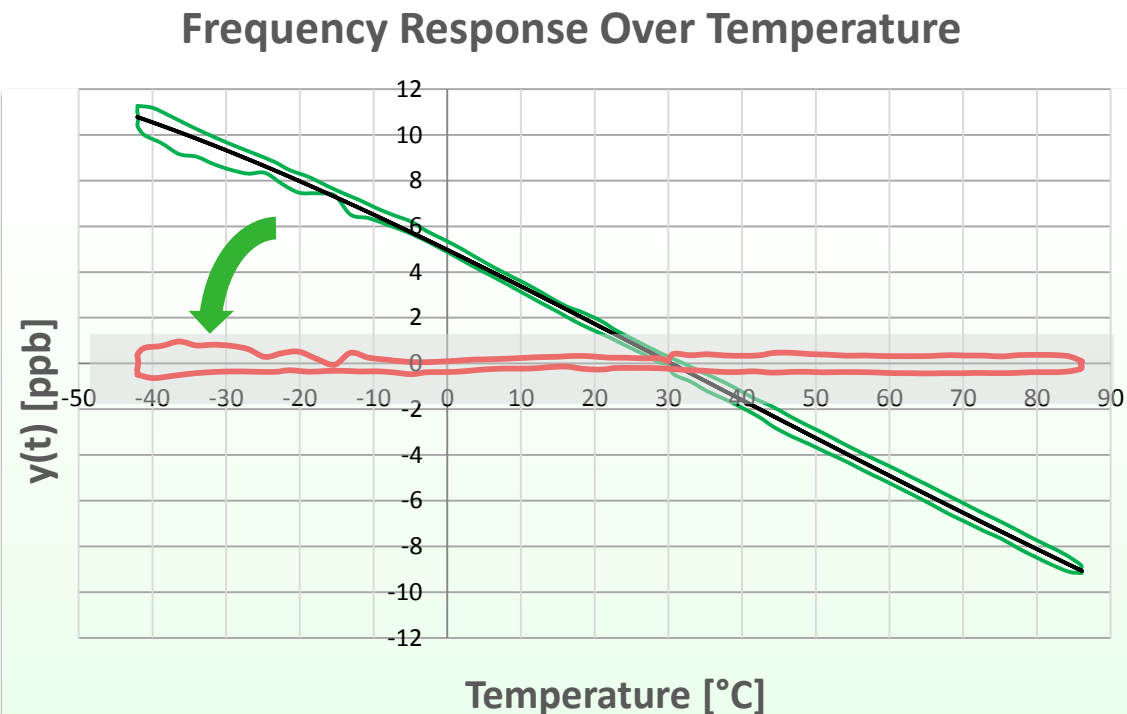






Apply **temperature** profile

Evaluate **frequency** variation



Frequency vs. Temperature response

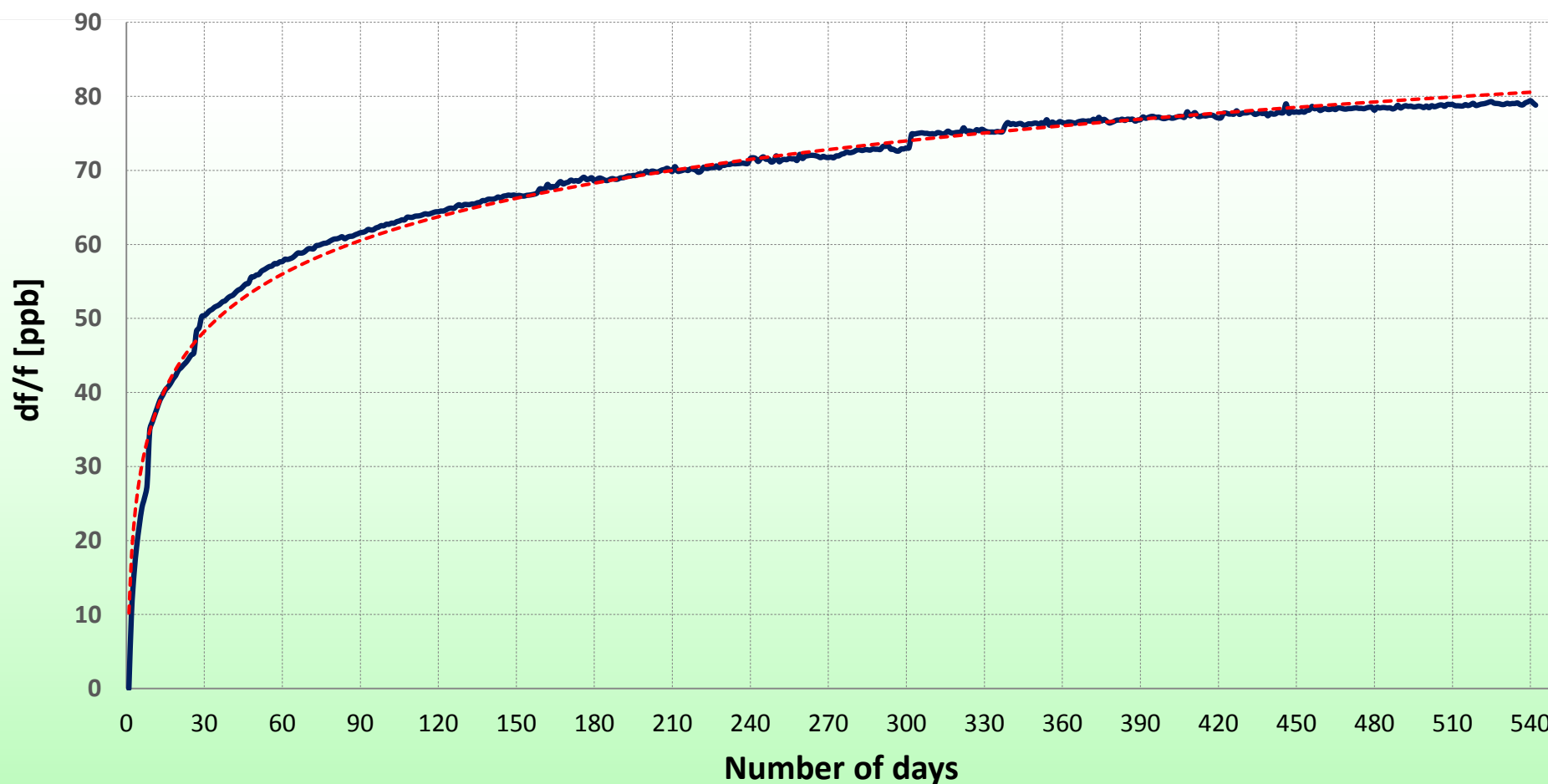
Compute the ideal mathematical response

Then apply **compensation** algorithm

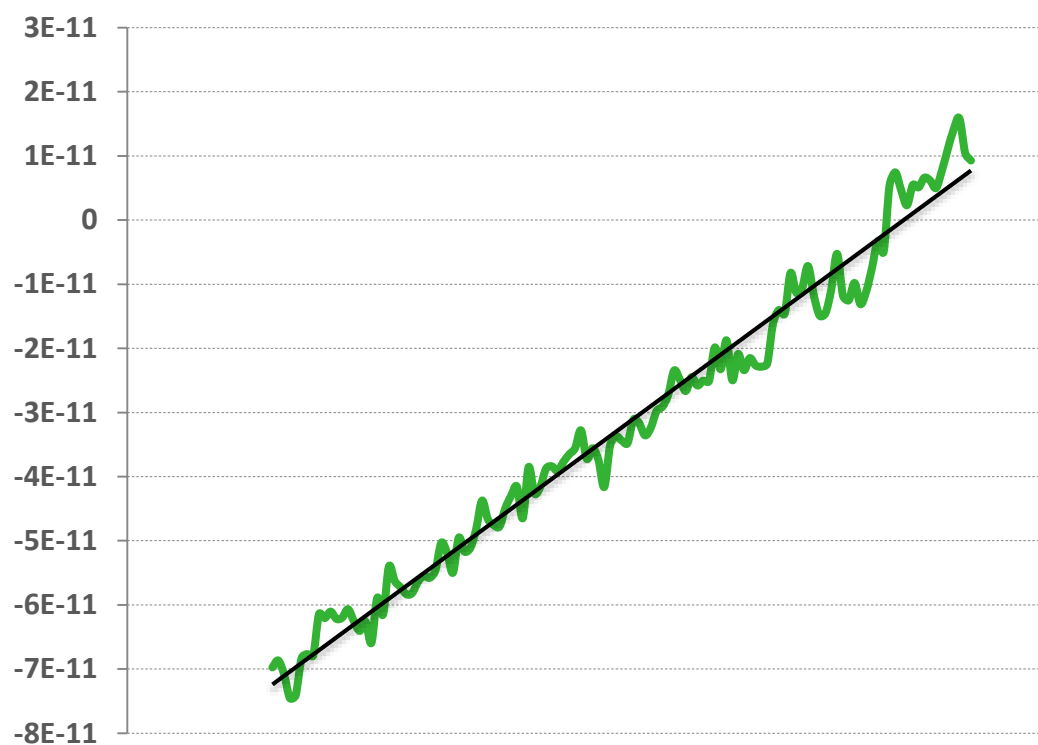
But...

Oscillator **hysteresis** limiting residual error

- ◀ Ideal ageing behaviour is predominantly logarithmic over time
- ◀ **The ideal curve fit** may be computed



Prediction limited to extrapolation accuracy



Frequency gap between expected and actual ageing response

- ◀ High stability OCXOs are not able (by themselves) to maintain very tight holdover specification such as 1.5 μ s over 24 hours
- ◀ Additional distinct digital compensation is required to a target specification
- ◀ Although mathematically easy to implement, actual OCXO behaviour requires a perfect understanding of Piezoelectric crystal phenomena
- ◀ OCXO manufacturers are able to assess each of oscillator's behaviour by monitoring over significant time periods and environmental conditions



< What about the next generation requirement?

Current



- ❑ Time keeping is **1.5 μ s over 24 hours**
- ❑ It means **$3,5 \times 10^{-11}$ (35ppt)** stability for all causes over 24 hours
- ❑ A wristwatch disciplined by such a stable clock would be off one second after **913 years!**

Tomorrow



- ❑ Time keeping is **1.5 μ s over 72 hours**
- ❑ **Holdover** is not linear
- ❑ A clock 3^2 is needed = 9 times more stable to target this specification
- ❑ **$3,8 \times 10^{-12}$ stability (3,8ppt)**
- ❑ A wristwatch disciplined by such a stable clock would be off one second after **8219 years!**

